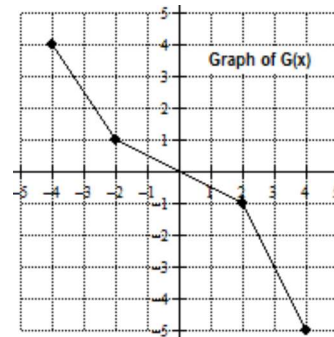


Review Unit 2.
Test is cumulative over unit 1 and unit 2.

FREE RESPONSE

Shown below are a table of values that represents a function, $f(x)$, and a graph that represents a function, $g(x)$. Use the representations to answer the following questions about F and G .

x	-5	-3	0	3	5
$F(x)$	-2	1	-5	1	-2



- a. Is $F(x)$ even, odd, or neither even nor odd? Give a numerical reason for your answer.

For every point (x, y) , there is a point $(-x, y)$

+1

$\therefore F(x)$ IS EVEN

- b. Initially, Jillian claimed that $G(x)$ was an odd function. However, she was cautioned by her teacher to take a closer look. Based on the graph, why would she have originally thought that $G(x)$ was an odd function? Specifically, what did she discover after looking again that made her realize she was wrong?

• Jillian might have thought there was rotational symmetry about the origin because $(0,0)$, $(-2,1)$ and $(2,-1)$ fit being ODD.

+1

• IN order to have rotational symmetry every point (x, y) must have a corresponding $(-x, -y)$.

+1

• However the points $(-4, 4)$ and $(4, -5)$ do not have corresponding points $(4, -4)$ and $(-4, 5)$

+1

c. Is $F(x)$ a one-to-one function? Does $F^{-1}(x)$ exist? Completely explain your reasoning for both questions.

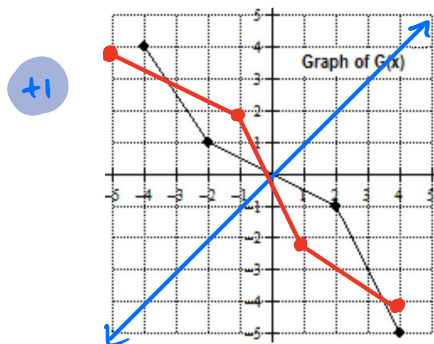
• The y -value -2 is paired with two x -values, -5 and 5 .

+1

Thus $F(x)$ is not 1-1.

• $\therefore F^{-1}(x)$ does not exist.

d. Based on the graph, explain why $G^{-1}(x)$ exists? Then, draw the graph of $G^{-1}(x)$ on the grid below. Show and explain your numerical analysis that leads to the development of your graph.



The graph of $G(x)$ passes the HLT

Thus, $G(x)$ is 1-1

$\therefore G^{-1}(x)$ exists

+1

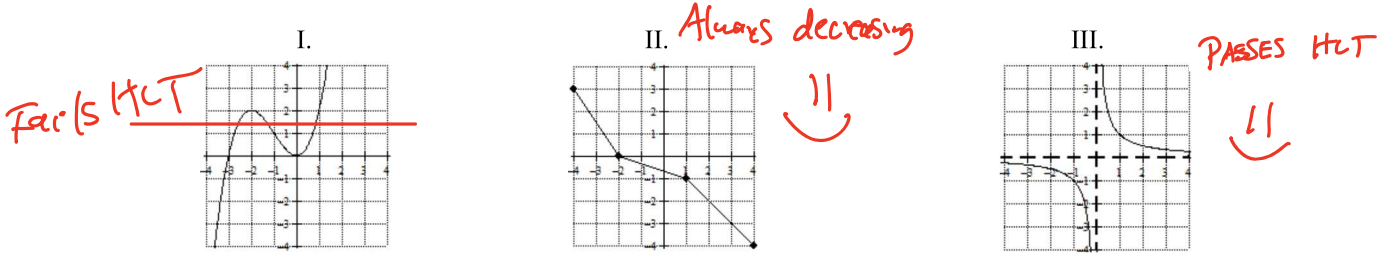
$G(x)$	$G^{-1}(x)$
$(-4, 4)$	$(4, -4)$
$(-2, 1)$	$(1, -2)$
$(2, -1)$	$(-1, 2)$
$(4, -5)$	$(-5, 4)$

+1

I took each ordered pair (x, y) and made it (y, x)

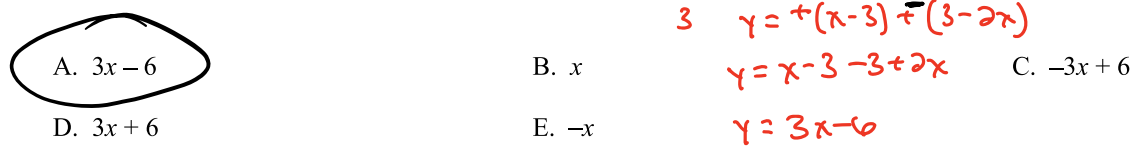
MULTIPLE CHOICE

1. For which of the following functions does $F^{-1}(x)$ exist?

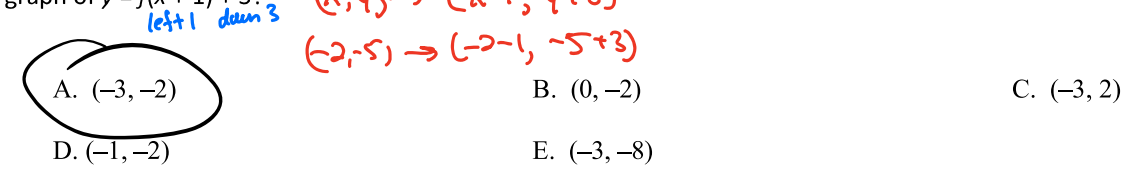


- A. I only
 B. II only
 C. I and II only
 D. II and III only
 E. III only

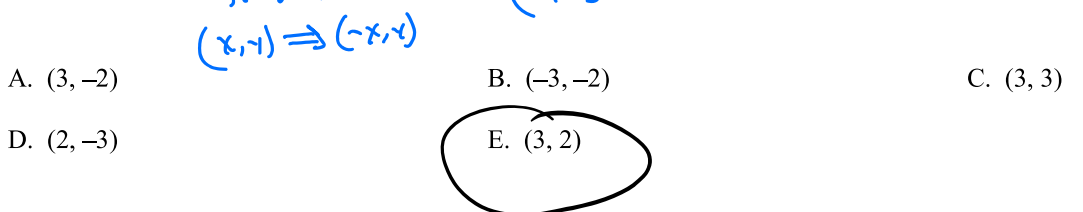
2. If the function $f(x) = |x-3| + |3-2x|$ is rewritten without absolute value bars, what is the expression by which the function is defined for $x \geq 3$??



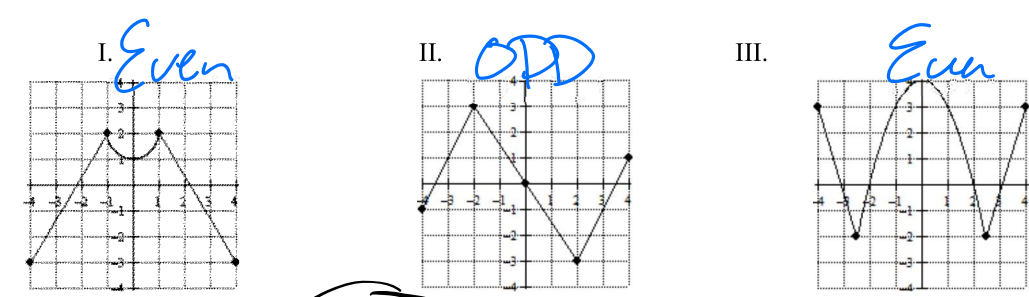
3. If it is known that the point $(-2, -5)$ is a point on the graph of $y = f(x)$, then which of the following points must be on the graph of $y = f(x+1) + 3$?



4. If the function $f(x)$ is an even function and the point $(-3, 2)$ is on the graph, which of the following points would also be on the graph of $f(x)$?



5. Which of the following functions is an odd function?



- A. I and III only
 B. II only
 C. I only
 D. II and III only
 E. III only

6. The graph of $f(x)$ is the solid line graph and $g(x)$ is the dashed line graph pictured to the right. Which of the following statements is/are true?

I. $f(x) > 0$ on the interval $(-3, 6)$. *False & $f(x) = 0$ at $x = 0$*

II. $g(x) > f(x)$ on the interval $(-4, -2) \cup (5, 7]$. *T*

III. $f(g(3)) - g(f(6)) = 3$
 $f(-2) - g(0) = 3$
 $2 - (-1) = 3$
 $3 = 3$ *T*

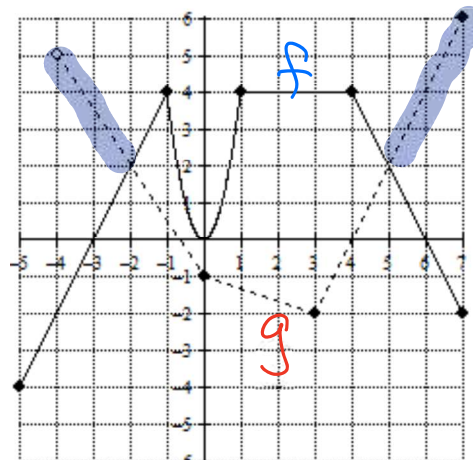
A. I and II only

B. I only

C. II only

D. II and III only

E. I, II, and III



7. The table of values to the right includes points that lie on the graph of $f(x)$, a continuous function on the interval $-4 \leq x \leq 4$. Which of the following statements is/are true?

x	$f(x)$
-4	3
-2	-1
-1	2
1	-2
2	1
4	-3

I. $f(x)$ is a one-to-one function. *False*

II. $f(f(2)) = -1$. *T*

III. The graph of $f(x)$ exhibits y -axis, reflective symmetry. *False*

A. I and III only

B. II and III only *$f(f(f(x)))$* C. I, II, and III

D. II only

E. I and II only
 $= f(f(1))$
 $= f(-2)$
 $= -1$

*$f(x)$ is continuous
 $\therefore f(x)$ must always inc. or dec., but $f(x)$ goes up and down.*

8. If $f(x)$ and $g(x)$ are inverse functions of each other and it is known that $f(3) = -5$, then which of the following function values must be true?

A. $f(-3) = -5$

B. $g(-3) = 5$

C. $g(-5) = 3$

D. $g(5) = -3$

E. None of these functions' values must be true.

$g(-5) = 3$

9. Suppose that $f(x) = 2ax^2 - 3x + 2$. for what value of a is $f(-2) = -2$?

A. $a = 2$

B. $a = -\frac{5}{4}$

C. $a = -1$

D. $a = \frac{3}{4}$

E. $a = 4$

$(-2, -2)$

$f(x) = 2ax^2 - 3x + 2$
 $-2 = 2a(-2)^2 - 3(-2) + 2$
 $-2 = 8a + 6 + 2$
 $-10 = 8a$
 $-\frac{10}{8} = a$